

What's Goin' On?

Functions
Cosine
Sine
Identities

Setting the V-Window to the Standard Setting (STD)

Press SHIFT key
 F3 (V-Window)
 F3 (STD)
 EXIT key

Changing the Color of an Equation and Graph in the GRAPH Menu

Highlight the equation.
 Press F4 (COLR)
 Select desired color:
 F1 (Blue),
 F2 (Orng), or
 F3 (Grn)
 Exit key

Using G-Solv to Find Intersections

Graph the equations
 Press F5 (G-Solv)
 F3 (V-Window)
 F5 (ISCT)

Graphing Absolute Values

In the GRAPH Menu
 Press OPTN key
 F5 (NUM)
 F1 (Abs)
 X
 EXE
 F6 (DRAW)

Standards: Problem Solving, Communication, Reasoning, Algebra, Functions, and Trigonometry.

Materials: CFX-9850G or CFX-9850Ga PLUS

Calculator Menus: RUN and GRAPH

A rather common error for students is to assert that $(X - 3)^2 = X^2 - 9$. Investigation of the situation with the graphing capabilities of the CFX-9850G will provide some insight.

Set the graph V-Window at STD.
 Enter $(X - 3)^2$ in Y1 and $X^2 - 9$ in Y2. Change the color of Y2 to green and graph.

Describe the graphs. **A.**

Use G-Solv to find the coordinates of the points of intersection. **B.** _____

Enter $X^2 - 6X + 9$ in Y3 and make it orange and graph. Describe the graphs now. **C.**

De-select $Y2 = X^2 - 9$ and graph. Use G-Solv to search for points of intersection and describe the results. **D.**

The work so far shows that $(X - 3)^2$ and $X^2 - 6X + 9$ yield the same graphs and thus are different names for the same thing. In other words, $(X - 3)^2$ and $X^2 - 6X + 9$ are an identity. Notice that this identity has an infinite number of solutions (points in common).

De-select or delete the equations in the calculator, enter and graph $Y = X$ and $Y = \sqrt{X^2}$. Use G-Solv to search for points of intersection and describe the results. **E.**

De-select $Y = X$ and graph $Y = |X|$, making the absolute value orange. Use G-Solv to search for points of intersection and describe the results. **F.**

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De-selecting an Equation in the GRAPH Menu

Highlight the equation
 Press F1 (SEL)
 The = sign will turn blue
 when de-selected.

? represents a high level question

Deleting an Equation in the GRAPH Menu

Highlight the equation
 Press F2 (DEL)
 F1 (YES)

This section of work shows that $Y = \sqrt{X^2}$ and $Y = |X|$ yield the same graphs and thus show an identity.

When $Y = X$ is considered, there still will be an infinite number of solutions with either $Y = \sqrt{X^2}$ or $Y = |X|$, but $Y = X$ is not an identity with either. Why? **G.**

Figure 1 shows the graph of $Y = -\sqrt{X^2}$. What is another expression that will yield the same graph? **H.**

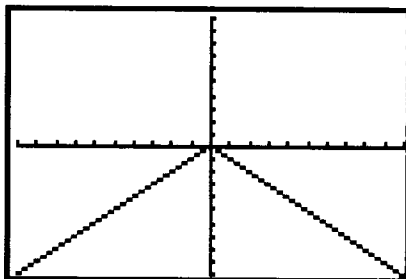


Figure 1

? Figure 2 shows the graph of $Y = 0.5 - 0.5(\cos(2X))$. What is another expression that will yield the same graph? **I.**

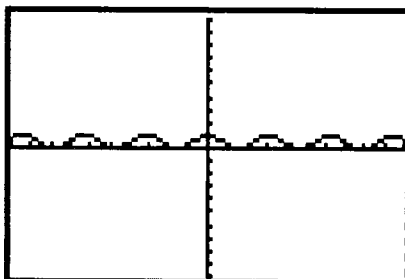
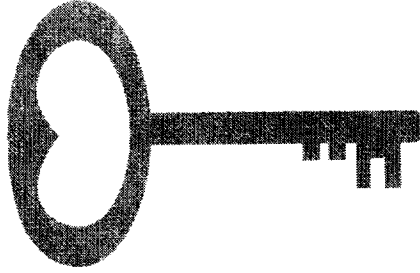


Figure 2

? Give two equations that would be an identity. **J.**

? Give two equations that would not be an identity but which would have an infinite number of points in common. **K.**

Solution Key



What's Goin' On?

- A.** Two parabolas that intersect in one place.
- B.** (3, 0)
- C.** $X^2 - 6X + 9$ graphs on top of $(X - 3)^2$.
- D.** Since the two graphs are on top of each other, there are an infinite number of solutions. The calculator is showing only some of them.
- E.** The number of solutions is infinite but they are all in the first quadrant plus the origin. There is also an infinite number of points on $Y = X$ and $Y = \sqrt{X}$ that are not solutions in the second and third quadrants.
- F.** The number of solutions is infinite. There are no graphed points that are not solutions.
- G.** Identities must have all points in common.
- H. - K.** Answers will vary.